# Design and Fabrication of Fixed-Wing UAV for Commercial Monitoring 

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#### Abstract

The fixed-wing UAV's present huge potentiality as far as concern both precision and efficiency, allowing not only to bring down operating costs with respect to traditional planes or helicopters, but also to intervene in environments where it couldn't be possible to operate by an aircraft with pilot on board. This report highlights the entire design cycle for the production of fixed-wing UAV using flight dynamics approach at minimal cost. The mission requirement specified is commercial monitoring using a fixed camera attached to the body. The fixed-wing designed UAV possess various advantages like longer flight capability, larger areas covered in less time, better quality of photographic result, better control of flight parameters, higher flight safety and high range and endurance.


## Introduction

In today's world, the UAVs, or Remotely Piloted Vehicles (RPV's) plays a very important role in completing various tasks like goods distribution, commercial monitoring, surveillance for military applications, object tracking, quality aerial imaging etc., that are not possible by the manned flight. The UAVs are controlled remotely which only requires a trained operator. Moreover, these minimizes the danger to the person controlling it and also provides flexibility for quick inspection in the critical regions. The most important advantage for which these flying aircrafts are used are the safety of the pilot who does not accompany the vehicle and the low cost of the production.

The purpose of this project is to design and fabricate the fixed-wing UAV for the commercial monitoring purpose. The fixed-wing UAV is the type of UAV, wherein the wings are the main lifting component. A critical aerodynamic study is required for the selection of the wings which can provide an efficient flight. The fixed wing designs have various advantages over the quadcopters or drones. They provide high thrust, more range and endurance, high aerodynamic efficiency and stability, flight safety, etc. This design of fixed wing UAV is based on flight dynamics approach. This approach mainly focuses on the study and the calculations
on the longitudinal stability and control, C.G determination, weight estimation and the performance estimation. The entire design process is divided into three segments: conceptual design, preliminary design and detail design. The conceptual design discusses about the initial design of the fixed-wing UAV, body sizing, and wing sizing. In the preliminary design, all the analytical and the computational work is performed. The detail design consists of the generation of the CAD model, drafting sheet and the structural analyses. The 3-D printing technology is also incorporated in order to produce a 3-D prototype of the model. The printed model works for highlighting the critical components of the actual fabricated part. Finally, the fixedwing UAV is manufactured after the proper selection of the materials, and components. The flight testing will verify the scope of the project i.e., commercial monitoring (surveillance) and also verifies the calculations performed in the preliminary design stage.

Hence, the report provides the detailed description on the design and fabrication of the fixed-wing UAV for commercial monitoring and proves its advantages over the rotary wing (drones). The report also highlights the use of the flight dynamics approach to ensure that the fixed-wing UAV is stable during the flight and verification is done by flight testing of the model.

## 1. Unmanned-Aerial Vehicle

The wings are the main lifting component in the fixed wing design. A critical aerodynamics study is done to study the various airfoil shapes which can give appropriate lift and thrust as per the design and mission requirements. The design changes in the airfoil design can result in better L/D. Hence, the UAV can generate more lift with a minimal drag. The fixed wing design require less power and thrust loading when compared with the multi copter.

The fixed-wing UAVs are very advanced machines which are exclusively significant in terms of aerodynamics performance, maneuvering, structure load carrying capabilities and performing stealth, military and commercial operations. Various flight tests and experimental analysis have shown
that the UAV's offer remarkable performance with higher range and endurance when compared to the manned systems.

## 2. Design Cycle for Fixed-Wing UAV

The following is the design methodology usually adopted when designing any sort of aerial machine.


Fig 1 : Design Methodology
The aircraft design process is also similar to the general design process. However, there are some additions to the design guidelines because the aircraft design has to pass through various tests and quality certification so that the final product meets the project requirement. The complexity of an aircraft and the tight safety regulations required make it a very expensive and long process.
In order to obtain an accurate product or a part, it is essential to thoroughly understand each and every design stage and frame the design idea by highlighting the key design requirements and mission specifications.

Problem Definition: At the initial design stage, the market survey is done, and the requirements are listed down. Here, the main focus is done on the available concepts and products and study is done on the design improvement to meet the mission requirements. Discussion is done on the key requirements of the project mission and to determine the workflow pattern.

Conceptual Design: It is the first stage of the aircraft design. Here, the rough sketches and the design geometries are sketch on a paper. Different layout is worked on so that the best design can be chosen for further calculation. The designers work to obtain a suitable aircraft configuration that meets the market demand and also fulfil the mission requirement. Here, consideration is laid on the aerodynamics, stability, structural configuration, performance, weight, and the control systems. However, the initial design begins with the selection of wings, fuselage design, and the aircraft's engine size.
Preliminary Design: The second stage of the design process is the preliminary design. This design process involves the
calculation parts which proves that the selected design meets the requirements. The calculations are performed on aerodynamics, flight mechanics, flight dynamics, structural analysis. Further, the use of the software's like CATIA for CAD design, ANSYS for structural analysis, MATLAB for weight estimation is also used to verify the analytical calculations. The calculations and the iterations are performed so that the concept can be transformed to reality and at a reasonable cost.

Detail Design: The detail design is the final design stage where the concept is designed using a CAD software. Since the calculations in the preliminary design stage is fixed, so the next stage is to fix the final design. The drafting is done based on the 3rd angle projection and the 1st angle projection. This is a highly complex and critical stage of the process. After the CAD design and the drafting, the component is prepared for the fabrication of the parts. The fabrication can be done in two ways:

- Directly using the drafting sheets for fabrication and assembly of parts
- Using the prototype model in order to study the critical design areas and then proceed with fabrication accordingly. The critical components that are designed are airfoil, wing, fuselage, empennage, propulsion system, landing gear, control surfaces, etc.

Flight Testing: In this stage, the fabricated component is tested whether it is meeting the mission requirements or not. The flight testing is a lengthy and expensive process because it must be ensured that the fabricated structure satisfies all the tests and produces good results.

Critical Design Review: In this, stage, certain changes can be done in the fabricated model to ensure that everything works properly. For e.g., setting location of the centre of gravity in the fabricated component. After this stage, the design is competed and can be prepared so that it can perform its mission requirements.

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## 3. Design Methodology: Conceptual Design



Fig 2 : Top View


Fig 3 : Front View


Fig 4 : Side View

### 3.1 Wing Selection and Geometry Consideration



Fig 5 : Rectangular Wing Planform-Conceptual Design
The wing selected for the design calculations and the fabrication is the rectangular wing. The rectangular wing is specially selected since the mission requirement is not for high altitude flying and the rectangular section wing will be easy to fabricate. Rectangular wings better tolerate minor lapses in quality control/airfoil smoothness. The rectangular wings are the root chord stallers.
If a situation occurs where stalling takes place, then the root chord will first stall followed by effects on the control surfaces like ailerons and flaps. This root chord stall will help the aircraft to regain stability again.

Airfoil Selection: For the fixed wing UAV, the AG38 is selected as the reference airfoil having a flat pressure surface. The dimensions and the wing sizing ae specified below.


Fig 6 : Airfoil Configuration
Flight Dynamics Design Calculations (Preliminary Design): -

For a Rectangular wing with Flat Bottom Airfoil, the design considerations are: -

Wing Span (b): $1.22 \mathrm{~m}(120 \mathrm{~cm}$ to 130 cm$)$
Chord Length (c): $0.166 \mathrm{~m}(14 \mathrm{~cm}$ to 18 cm$)$
Width of the Wing (w): 0.166 m (Same as chord length due to flat bottom)

Width of the Fuselage (wf): $0.08 \mathrm{~m}(7 \mathrm{~cm}$ to 9 cm$)$
Maximum Thickness of Airfoil: $0.022 \mathrm{~m} \mathrm{(2} \mathrm{~cm} \mathrm{to} 3 \mathrm{~cm}$ )
Maximum Thickness Distance from LE: $0.055 \mathrm{~m}(5 \mathrm{~cm}$ to 6 cm )

Suction Surface Camber Length: $0.17 \mathrm{~m}(16 \mathrm{~cm}$ to 18 cm)

Maximum Weight of the Fixed Wing UAV $=0.7 \mathrm{~kg}$ ( 600 g to 700 g )

Area of Rectangular Wing (s) = span x width $=1.22 \mathrm{x}$ $0.166=0.20252 \mathrm{~m}^{2}$

Maximum Flight Velocity $\left(\mathbf{V}_{\infty}\right)=5.55 \mathrm{~m} / \mathrm{s}$ to $10.55 \mathrm{~m} / \mathrm{s}$ ( $19.98 \mathrm{ft} / \mathrm{s}$ to $37.98 \mathrm{ft} / \mathrm{s}$ )


Fig 7 : 'Cl' vs ' $\alpha$ ' Curve for Selected Airfoil Configuration
e (Oswald's Efficiency) $=0.8$
$\mathbf{C}_{\mathrm{d}, \mathrm{o}}=0.03$ (for complete aircraft)
The efficiencies mentioned below are determined based on the market survey and by the study of configuration of the electronic equipment's available.

Efficiencies: i. Electrical Efficiency $\left(\eta_{\text {electrical }}\right)=0.98$
ii. Motor Efficiency $\left(\eta_{\text {motor }}\right) \quad=0.9$
iii. Propeller Efficiency $\left(\eta_{\text {propeller }}\right)=0.95$

Thickness/chord ( $\mathbf{t} / \mathbf{c}$ ) ratio: $0.022 / 0.166=0.1325$

The Aspect Ratio (A.R) is defined as the ratio of square of span and the area of the wing.

$$
\mathbf{A . R}=\frac{b^{2}}{s}=\frac{1.22 * 1.22}{1.22 * 0.166}
$$

$$
\text { A.R }=7.3493
$$

The Taper Ratio $(\lambda)$ is defined as the ratio of Tip Chord $\left(C_{t}\right)$ to Root Chord ( $\mathrm{C}_{\mathrm{r}}$ ).

$$
\lambda=\frac{\mathrm{Ct}}{\mathrm{Cr}}=\frac{0.166}{0.166}
$$

$$
\lambda=\mathbf{1}
$$

Since the wing planform is symmetrical so the tip chord and the root chord have the same value and the corresponding taper ratio is 1.
The Mean Aerodynamic Chord (MAC) is also defined as the average length of the chord.

$$
\begin{gathered}
\mathbf{M A C}=\frac{2}{3} \cdot \operatorname{Cr} \frac{\lambda^{2}+\lambda+1}{\lambda+1} \\
\mathbf{M A C}=\frac{2}{3} \cdot 0.166\left(\frac{3}{2}\right) \\
\text { MAC }=0.166
\end{gathered}
$$

The MAC $=0.166$ depicts that the rectangular planform is unform from the tip chord to the root chord of the airfoil. The Sweep Back Angle is zero due to rectangular wing planform.

NOTE:
In the mission requirements, the Maximum Cruise Speed of the UAV selected is : $5.55 \mathrm{~m} / \mathrm{s}$.
Maximum Time of Flight : 10 min to 15 mins
Maximum Altitude : $20 \mathrm{~m}(65.6167 \mathrm{ft})$

The Design Lift Coefficient is given by:-

$$
\begin{gathered}
\mathbf{C}_{\mathbf{l}, \text { max }}=\frac{(2 .(\mathrm{W}))}{\rho \cdot \mathrm{V}^{2} . \mathrm{S}}=\frac{2 \times 0.7 \times 9.8}{1.225 \times 5.5^{2} \times 0.20252} \text { (From Maximum Design Weight) } \\
\mathbf{C}_{\mathbf{l}, \max }=1.7954
\end{gathered}
$$

From the 2D Lift Curve Slope, the value of $\mathrm{a}_{2 \mathrm{D}}$ is calculated as: -

$$
\mathbf{a}_{2 \mathrm{D}}=\frac{0.4-0}{(0-(-3))}
$$

$\mathbf{a}_{2 \mathbf{D}}=0.1333$ per degree $=7.6375$ per radian

The 3D Lift Curve Slope (a3D) is given by: -

$$
\mathbf{a}_{3 \mathrm{D}}=\frac{\mathrm{a} 2 \mathrm{~d}}{1+\left(\frac{\mathrm{a} 2 \mathrm{~d}}{\pi \cdot \mathrm{e} . \mathrm{AR}}\right)}
$$

On Substituting the values, 3D lift curve slope value is determined to be $\mathbf{a}_{3 \mathrm{D}}=5.4036$ per radian $=0.09431$ per degree.
Now, $\mathbf{k}=1 /(\pi . e . A R)=1 /(3.14 \times 0.8 \times 7.3493)$

$$
\mathbf{k}=0.05413
$$

The Induced Drag is given by,

$$
\begin{gathered}
\mathbf{C}_{\mathbf{d}, \mathrm{i}}=\mathrm{C}_{1}^{2} /(\pi . \mathrm{e} . \mathrm{AR})=1.7954^{2} \times 0.05413 \\
\mathbf{C}_{\mathbf{d}, \mathbf{i}}=0.17451
\end{gathered}
$$

The Coefficient of Drag (Cd) is given by,

$$
\begin{gathered}
\mathbf{C}_{\mathbf{d}}=\mathrm{C}_{\mathrm{d}, 0}+\mathrm{k} \cdot \mathrm{C}_{1}^{2}=0.03+\left(0.05413 \times 1.7954^{2}\right) \\
\mathbf{C}_{\mathbf{d}}=0.20451
\end{gathered}
$$

Since the airfoil used for the design of the fixed-wing UAV resembles the symmetrical airfoil, hence the thin airfoil theory can be applied, and the values of symmetrical airfoil can be considered for the UAV design.
The Mean Aerodynamic Centre (XXac) of the airfoil is located at the quarter chord point from the thin airfoil theory.

$$
\begin{gathered}
\overline{\mathrm{X}}_{\mathrm{ac}}=\mathbf{c} / \mathbf{4}=. \mathbf{1 6 6} / \mathbf{4} \\
\overline{\mathrm{X}}_{\mathrm{ac}}=0.0415 \mathrm{~m}
\end{gathered}
$$

Since, for a thin airfoil, the moment coefficient about the quarter chord point i.e. $\mathbf{C}_{\mathrm{M}, 1 / 4 . \mathrm{c}}$ is ' 0 ' and at that point, angle of attack has no effect on the airfoil.
So, the point at which the pitching moment is zero at thin airfoil, is called the quarter chord point.
Aerodynamic Center is defined as the point on the chord line where the pitching moment remains constant with the change in the angle of attack. Hence, it can be concluded that the quarter chord point of the airfoil selected for UAV design is also the aerodynamic center.
Hence, from the conceptual design, the following parameters have been determined: Aspect Ratio, Taper Ratio, Mean Aerodynamic Chord, Wingspan, Design Lift Coefficient, 2-D Lift Curve Slope, 3D Lift Curve Slope, Induced Drag, Coefficient of Drag from selected flight velocity and weight.

### 3.2 Tail Selection and Geometry Consideration



Fig 8 : Rectangular Wing Planform-Conceptual Design
Airfoil Selection: Generally, the airfoil selected for the elevator design is the symmetrical airfoil. For the design of the fixed-wing UAV, NACA 0006 symmetrical airfoil is selected. This airfoil also lies in the thin airfoils category, so the Thin Airfoil Theory is applicable for this airfoil.


Fig 9 : Airfoil Configuration
Flight Dynamics Design Calculations (Preliminary Design): -

For a Rectangular wing with Symmetrical Airfoil, the design considerations are: -

Wing Span (b): $0.37 \mathrm{~m}(35 \mathrm{~cm}$ to 40 cm$)$
Chord Length (c): 0.09 m ( 5 cm to 10 cm )
Width of the Wing (w): 0.09 m (Same as chord length due to flat bottom)

Width of the Fuselage at tail end (wf): 0.03 m ( 2 cm to 5 cm)

Maximum Thickness of Airfoil: $0.008 \mathrm{~m}(0.5 \mathrm{~cm}$ to 1 cm$)$
Area of Rectangular Wing (s) = span x width $=0.37 \mathrm{x}$ $0.09=0.0333 \mathrm{~m}^{2}$

Maximum Flight Velocity $\left(\mathbf{V}_{\infty}\right)=5.55 \mathrm{~m} / \mathrm{s}$ to $10.55 \mathrm{~m} / \mathrm{s}$ ( $19.98 \mathrm{ft} / \mathrm{s}$ to $37.98 \mathrm{ft} / \mathrm{s}$ )


Fig 10 : Lift Curve slope for NACA 0006 Airfoil
e (Oswald's Efficiency) $=0.8$
$\mathbf{C}_{\mathrm{d}, \mathrm{o}}=0.03$ (for complete aircraft)
The thickness/chord ( $\mathrm{t} / \mathrm{c}$ ) ratio is given by : 0.008/0.09 = 0.0888

The Aspect Ratio (A.R) is defined as the ratio of square of span and the area of the wing.

$$
\mathbf{A . R}=\frac{b^{2}}{s}=\frac{0.37 * 0.37}{0.37 * 0.09}
$$

$$
\mathbf{A . R}=4.1111
$$

The Taper Ratio $(\lambda)$ is defined as the ratio of Tip Chord $\left(\mathrm{C}_{\mathrm{t}}\right)$ to Root Chord ( $\mathrm{C}_{\mathrm{r}}$ ).

$$
\begin{gathered}
\lambda=\frac{\mathrm{Ct}}{\mathrm{Cr}}=\frac{0.09}{0.09} \\
\lambda=\mathbf{1}
\end{gathered}
$$

Since the wing planform is symmetrical so the tip chord and the root chord have the same value and the corresponding taper ratio is 1 .

The Mean Aerodynamic Chord (MAC) is also defined as the average length of the chord.

$$
\begin{gathered}
\mathbf{M A C}=\frac{2}{3} \cdot \operatorname{Cr} \frac{\lambda^{2}+\lambda+1}{\lambda+1} \\
\mathbf{M A C}=\frac{2}{3} \cdot 0.09\left(\frac{3}{2}\right) \\
\mathbf{M A C}=0.09
\end{gathered}
$$

From the 2D Lift Curve Slope, the value of $\mathrm{a}_{2 \mathrm{D}}$ is calculated as: -

$$
\begin{gathered}
\mathbf{a}_{2 \mathbf{D}}=\frac{0.6-0}{(5.5-0)} \\
\mathbf{a}_{2 \mathbf{D}}=0.10909 \text { per degree }=6.2503 \text { per radian }
\end{gathered}
$$

The 3D Lift Curve Slope ( $\mathrm{a}_{3 \mathrm{D}}$ ) is given by: -

$$
\mathbf{a}_{3 \mathbf{D}}=\frac{\mathrm{a} 2 \mathrm{~d}}{1+\left(\frac{\mathrm{a} 2 \mathrm{~d}}{\pi \cdot \mathrm{e} . \mathrm{AR}}\right)}
$$

On Substituting the values, 3D lift curve slope value is determined to be $\mathbf{a}_{3 \mathrm{D}}=3.8948$ per radian $=0.06797$ per degree.

The Mean Aerodynamic Centre (XXac) of the airfoil is located at the quarter chord point from the thin airfoil theory.

$$
\begin{gathered}
\overline{\mathbf{X}}_{\mathrm{ac}}=\mathbf{c} / \mathbf{4}=\mathbf{0 . 0 9 / 4} \\
\left.\overline{\mathbf{X}}_{\mathrm{ac}}=0.0225 \mathrm{~m} \text { (Quarter Chord Point }\right)
\end{gathered}
$$

Since, for a thin airfoil, the moment coefficient about the quarter chord point i.e. $C_{M, 1 / 4 . c}$ is ' 0 ' and at that point, angle of attack has no effect on the airfoil.

## 4. Longitudinal Stability and Control

The longitudinal static stability is basically the stability during the pitching motion of the aircraft. Pitching motion is the nose up and down condition which is the motion about the $y$-axis or the pitch axis or the lateral axis. Elevator is the control surface which is used to maintain the longitudinal stability of the aircraft.

Trim (Equilibrium) Condition: The trim condition for the longitudinal static stability is: $\Sigma \mathrm{M}_{\mathrm{C} . \mathrm{G}}=0$ i.e., pitching moment about the C.G location must be zero.

In terms of the pitching moment coefficient, $\mathbf{C}_{\mathbf{m}, \mathbf{C}, \mathbf{G}}=0$

The moment expression is given by $\mathbf{M}=1 / 2 . \rho . V^{2}$. s. c. $C_{m}$
Condition for Longitudinal Static Stability: -

1. The pitching moment coefficient curve slope i.e., $\mathbf{C}_{\mathrm{m}, \alpha}$ must negative (less than zero).
2. The value of the pitching moment coefficient at zero angle of attack must be positive i.e., $\mathbf{C}_{\mathrm{m}, 0}>\mathbf{0}$.


Fig 11 : General ' $\mathrm{C}_{\mathrm{m}}$ ' vs ' $\alpha$ ' Plot
In the above plot, the aircraft 1 is longitudinally stable while the aircraft 2 is longitudinally unstable. The aircraft 1 satisfies both stability criteria but for the aircraft $2, C_{m, 0}$ is negative hence it is unstable and will require more stick force application and thereby more efforts of the pilot.

In the above plot, increase in ' $\alpha$ ' should lead to the nose down moment for stability due to the negative restoring moment of the aircraft (Point C).

With the low angle of attack, the restoring moment is positive, and the nose will go up for maintaining the longitudinal stability (Point A).

### 4.1 Contribution of Wing towards Longitudinal Static Stability



Fig 12 : Wing Contribution
$\mathbf{i}_{\mathbf{w}}=$ Wing Setting Angle
$\boldsymbol{\alpha}_{\mathbf{w}}=$ Angle of attack of Wing
$\mathbf{x}_{\mathrm{c} . \mathrm{g}}=$ Distance between 'C.G' and 'L.E'
a.c $=$ Aerodynamic Center
$\mathbf{z}_{\text {c.g }}=$ Distance between 'C.G' and 'F.R.L'
$\mathbf{x}_{\text {a. } \mathbf{c}}=$ Distance between 'L.E' and 'Aerodynamic Center'
Assumption: 1. Angle of attack is very small.

$$
\begin{gathered}
\text { 2. } C_{L} \gg C_{D} \\
\text { 3. Vertical Shift of 'C.G' i.e., } z_{c . g} \\
C_{m a g, w}=C_{m_{a c, w}}+C_{L w}\left(\frac{x_{c g}-x_{a c}}{\bar{c}}\right) \\
\because C_{m_{0 g}}=C_{m_{0, w}}+C_{m_{\alpha, w}} \cdot \alpha_{w} \\
N_{o w,} C_{L, w}=C_{L_{\alpha, w}} \cdot \alpha_{w} \\
C_{m, w}=C_{L_{\alpha, w}}\left(\frac{n_{c g}-n_{a c}}{\bar{c}}\right) \\
\text { Hence, } C_{m \times, w}=C_{L \alpha, w}\left(\frac{n_{c g}-x_{a c}}{\bar{c}}\right)
\end{gathered}
$$

The first term $\mathbf{C}_{\mathbf{L}_{\alpha, w}}$ is always positive, and the second term is also positive because $\mathbf{x}_{\text {c. } g}>\mathbf{x}_{\mathrm{ac}}$.

Hence, The $\mathbf{C}_{\mathbf{m}_{\alpha}, \mathbf{w}}$ is also positive. It can be concluded that the wing contributes to the aircraft by destabilizing it.

The Fuselage Contribution is not calculated because its contribution to the longitudinal static stability is very less or insignificant as the lift force is negligible in the fuselage.

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### 4.2 Contribution of Tail towards Longitudinal Static Stability



Fig 13 : Tail Contribution
$\mathbf{i}_{\mathbf{w}}=$ Wing Setting Angle
$\mathbf{i}_{\mathrm{t}}=$ Tail Setting Angle
$\boldsymbol{\alpha}_{\mathrm{w}}=$ Angle of attack of Wing
$\mathbf{x}_{\mathrm{c} . \mathrm{g}}=$ Distance between 'C.G' and 'L.E'
$\mathbf{a . c}=$ Aerodynamic Center
$\mathbf{z}_{\text {c.g }}=$ Distance between 'C.G' and 'F.R.L'
$\mathbf{x}_{\mathrm{a} . \mathrm{c}}=$ Distance between 'L.E' and 'Aerodynamic Center'
$\mathbf{C}_{\mathbf{L}, \mathbf{t}}=$ Tail Lift Curve Slope
$\mathbf{i}_{\mathbf{w}}=3.2^{\circ}$
$\mathbf{i}_{\mathrm{t}}=2.5^{\circ}$
$\boldsymbol{\eta}$ is the tail efficiency and generally lies between $\mathbf{0 . 8}$ to $\mathbf{1 . 2}$. It depends upon the location from C.G. It is preferred to establish the tail farther from the wing.
$V_{H}$ is the Horizontal Tail Volume Ratio $=l_{t} . s_{t} /(s . c)_{w}$

$$
C_{m, t}=-V_{H} \cdot \eta \cdot C_{L, \alpha, t}
$$

Pitching Moment Coefficient of the tail i.e., $\mathbf{C}_{\mathrm{m}, \mathrm{t}}$ is negative, so the tail gives the stabilizing effect to the complete aircraft.

$$
\begin{gathered}
C_{m, c, g, t}=C_{m, 0, t}+C_{m, \alpha} \cdot \alpha \\
C_{m, 0, t}=\eta \cdot V_{H} \cdot C_{L, \alpha, t} \cdot\left(i_{w}-i_{t}\right)
\end{gathered}
$$

$\mathbf{C}_{\mathbf{m}, \mathbf{0}, \mathbf{t}}$ can be made positive by increasing tail efficiency $(\eta)$ and the horizontal tail volume ratio $\left(\mathrm{V}_{\mathrm{H}}\right)$.

$$
C_{m, \alpha, t}=-V_{H} \cdot \eta \cdot C_{L, \alpha, t}(1-d \varepsilon / d \alpha)
$$

Hence, the tail portion nullify the effect of the wing destability and provides longitudinal static stability by
providing more negative ' $\mathbf{C}_{\mathrm{m}, \mathrm{t}, \mathrm{t}}$ '. So, the resultant is the 'stability of the aircraft'.
The complete wing-body-tail effect on the longitudinal static stability for the fixed-wing UAV is studied and calculated in the further section of the project.

### 4.3 Longitudinal Stability for Complete Wing-Body-

 Tail ConfigurationWing Setting Angle, $\mathrm{i}_{\mathrm{w}}=3.2^{\circ}$
Tail Setting Angle, $\mathrm{i}_{\mathrm{t}}=2.5^{\circ}$
$\eta$ is the tail efficiency and generally lies between $\mathbf{0 . 8}$ to $\mathbf{1 . 2}$. It depends upon the location from C.G. It is preferred to establish the tail farther from the wing.
$\eta=0.9$ (For UAV-from historical data)
$\mathbf{V}_{\mathbf{H}}$ is the Horizontal Tail Volume Ratio $=\mathrm{l}_{\mathrm{t}} . \mathrm{s}_{\mathrm{t}} /\left(\mathrm{s} . \mathrm{c}_{\mathrm{mac}}\right)_{\mathrm{w}}$
$\mathbf{l}_{\mathrm{t}}=0.52 \mathrm{~m}$
$\mathbf{s}_{\mathrm{t}}=\mathrm{bxc}=0.0333 \mathrm{~m}^{2}$
$\mathbf{s}=0.20252 \mathrm{~m}^{2}$
$\mathbf{c}=0.166 \mathrm{~m}$ (Mean Aerodynamic Centre)
$\mathbf{V}_{\mathbf{H}}=0.51507$
' $\varepsilon$ ' is the downwash angle.

$$
\mathbf{d} \varepsilon / \mathbf{d} \alpha=2 . C_{L \alpha, w} / \pi . e . \mathbf{A R}_{w}
$$

$\mathbf{a}_{3 \mathrm{D}}$ (wing) $=0.09431$ per degree
$\mathbf{e}=0.8$ (historical data)
A. R of Wing $=7.3493$

$$
\mathbf{d} \boldsymbol{\varepsilon} / \mathbf{d} \alpha=0.0081694
$$

$\mathbf{a}_{3 \mathrm{D}}$ (tail) $=0.06797$ per degree
$\mathbf{a}_{3 \mathrm{D}}$ (wing) can also be described as $\mathbf{a}_{\mathbf{w b}}$ (Wing Body Configuration Lift Curve Slope)


Fig 14 : Airfoil Nomenclature and Geometry

$$
\mathbf{C}_{\mathrm{M}, \mathrm{cg}, \mathrm{wb}}=\mathbf{C}_{\mathrm{M}, \mathrm{ac}, \mathrm{wb}}+\mathbf{a}_{\mathrm{wb}} \cdot \alpha \cdot\left(\mathbf{h}-\mathbf{h}_{\mathrm{ac}, \mathrm{wb}}\right)
$$

$\mathbf{C}_{\mathrm{M}, \mathrm{cg}, \mathrm{wb}}=$ moment coefficient about the centre of gravity
$\mathbf{C}_{\mathrm{M}, \mathrm{ac}, \mathrm{wb}}=$ moment coefficient about the aerodynamic center
$h$ (center of gravity in fractions of chord length) $=0.35$ (From Historical Data) (Non-Dimensionalized)
$\mathbf{h}_{\mathbf{a c}, \mathbf{w b}}=$ Aerodynamic Centre in fraction (NonDimensionalized)
$\alpha=$ Angle of Attack

For the similar configuration aircrafts, from the historical data, it is observed that at $\mathbf{1}^{\circ}$ angle of attack, $C_{M, c g, w b}=-$ 0.01 and at $8^{\circ}$ angle of attack, $C_{M, c g, ~ w b ~}=0.05$

At, $\boldsymbol{\alpha}=1^{\circ}, \mathbf{C}_{\mathbf{I}}=0.5292$ (From the Lift Curve Slope)
At, $\boldsymbol{\alpha}=8^{\circ}, \mathbf{C}_{\mathbf{l}}=1.4553$ (From the Lift Curve Slope)

Solving for 10 angle of attack, we get

$$
\mathbf{- 0 . 0 1}=\mathrm{C}_{\mathrm{M}, \mathrm{ac}, \mathrm{wb}}+0.37724 .\left(\mathrm{h}-\mathrm{h}_{\mathrm{ac}, \mathrm{wb}}\right)
$$

Now, solving for 80 angle of attack, we get

$$
\mathbf{0 . 0 5}=\mathrm{C}_{\mathrm{M}, \mathrm{ac}, \mathrm{wb}}+1.03471 .\left(\mathrm{h}-\mathrm{h}_{\mathrm{ac}, \mathrm{wb}}\right)
$$

The above two equations have two unknowns ' $\mathrm{C}_{\mathrm{M}, \mathrm{ac}, \mathrm{wb}}$ ' and '( $\mathrm{h}-\mathrm{h}_{\mathrm{ac}, \mathrm{wb}}$ )', They can be solved simultaneously. Subtracting the second equation from the first, we get

$$
\begin{gathered}
-0.06=-0.66017\left(\mathrm{~h}-\mathrm{h}_{\mathrm{ac}, \mathrm{wb}}\right) \\
\mathbf{h}-\mathbf{h}_{\mathrm{ac}, \mathrm{wb}}=0.09088
\end{gathered}
$$

Since $\mathbf{h}=0.35$ (Non-Dimensionalized)
$0.35-\mathbf{h}_{\mathrm{ac}, \mathbf{w b}}=0.06451$
$\mathbf{h a c}_{\mathrm{ac}, \mathbf{w b}}=0.25912=$ Aerodynamic Centre in fraction
(Non-Dimensionalized)

Now, back substituting in the equation: $-0.01=\mathrm{CM}, \mathrm{ac}, \mathrm{wb}+$ 0.37724. (h-hac, wb),

$$
\mathbf{- 0 . 0 1}=\mathrm{C}_{\mathrm{M}, \mathrm{ac}, \mathrm{wb}}+0.52 .(0.35-0.25912)
$$

Hence, $\mathbf{C}_{\mathbf{M}, \mathbf{a c}, \mathbf{w b}}$ (moment coefficient about the aerodynamic center) $=-0.04428$.

## Total Pitching Moment About the Center of Gravity: -

Since $\mathbf{M}_{\mathrm{cg}, \mathrm{t}}$ denotes the contribution to moments about the airplane's center of gravity due to the horizontal tail.

$$
C_{M, \mathrm{cg}_{t}}=-a_{t} V_{H} \alpha_{\mathrm{wb}}\left(1-\frac{\partial \varepsilon}{\partial \alpha}\right)+a_{t} V_{H}\left(\varepsilon_{0}+i_{t}\right)
$$

$\mathbf{C}_{\mathrm{M}, \mathbf{c g}, \mathrm{t}}=$ Pitching moment coefficient about the airplane's center of gravity due to the horizontal tail.
$C_{M, \mathrm{cg}}=C_{M, \mathrm{ac} \mathrm{wb}}+C_{L_{\mathrm{wb}}}\left(h-h_{\mathrm{ac}_{\mathrm{wb}}}\right)-V_{H} C_{L, t}$
$\mathbf{C}_{\mathrm{M}, \mathrm{c.g}}$ is the total moment coefficient about the center of gravity for the complete airplane.
$C_{M, \mathrm{cg}}=C_{M, \mathrm{ac} \mathrm{wb}}+a_{\mathrm{wb}} \alpha_{\mathrm{wb}}\left[h-h_{\mathrm{ac}}-V_{H} \frac{a_{t}}{a_{\mathrm{wb}}}\left(1-\frac{\partial \varepsilon}{\partial \alpha}\right)\right]+V_{H} a_{t}\left(i_{t}+\varepsilon_{0}\right)$

Equations for Longitudinal Static Stability (Wing+Body+Tail): -
$d C_{M, c, g} / d \alpha_{a}=a\left[\left(h-h_{a c, w b}\right)-\left\{V_{H} \cdot \eta \cdot\left(a_{t} / a\right) \cdot(1-(d \varepsilon / d \alpha))\right\}\right]$
$\mathbf{a}=0.09431$ per degree (3D Curve Slope for Wing)
$h-h_{a c, w b}=0.09088$
$\eta=0.9$ (For UAV-from historical data)
$\mathbf{V}_{\mathbf{H}}=0.51507$
$\mathbf{a}_{3 \mathrm{D}}($ tail $)=0.06797$ per degree $=\mathbf{a}_{\mathrm{t}}$
$\mathbf{d} \varepsilon / \mathbf{d} \boldsymbol{\alpha}=0.0081694$

On substituting the values, we obtain,
$\mathrm{C}_{\mathrm{M}, \alpha}$ (for complete aircraft) $=\mathrm{dC}_{\mathrm{M}, \mathrm{c.g}} / \mathrm{d} \alpha_{\mathrm{a}}$
$\mathbf{C}_{\mathrm{M}, \alpha}=0.09431$ [(0.09088)-\{0.51507.0.9.(0.06797/0.09431). (1-0.0081694)\}]

On solving the equation, we obtain,

$$
\mathbf{C}_{M, \alpha}=\mathrm{dC}_{\mathrm{M}, \mathrm{c.g}} / \mathrm{d} \alpha_{\mathrm{a}}=-0.02267
$$

Hence, the slope of the moment coefficient curve for the entire aircraft is negative, which denotes the aircraft is longitudinally stable. The major stability is given by the tail region and due to which the pitching moment coefficient curve slope is found out to be negative. This has satisfied the first criteria of the longitudinal static stability.

## However, is the model longitudinally balanced?

To answer this, it is required to determine $\mathbf{C}_{\mathrm{m}, 0}$, which in combination with the preceding result for $\mathbf{d C}_{\mathrm{m}, \mathrm{c.g}} / \mathbf{d}_{\alpha \mathrm{a}}$ will yield the equilibrium angle of attack $\boldsymbol{\alpha}_{\text {trim }}$ or $\boldsymbol{\alpha}_{\mathrm{e}}$.

$$
C_{M, 0}=C_{M, a c, w b}+V_{H} \cdot \eta \cdot a_{t} \cdot\left(\varepsilon_{0}+i_{t}\right)
$$

$\varepsilon_{0}=0$ (From Data Source)
$C_{M}$, ac, wb (moment coefficient about the aerodynamic center) $=-0.04428$

Tail Setting Angle, $\mathbf{i}_{\mathrm{t}}=2.5^{\circ}$
$\eta=0.9$ (For UAV-from historical data)
$\mathbf{V}_{\mathbf{H}}=0.51507$
$\mathbf{a}_{3 \mathrm{D}}($ tail $)=0.06797$ per degree $=\mathbf{a}_{\mathrm{t}}$

After substituting the values,

$$
\mathbf{C}_{\mathrm{M}, \mathbf{0}}=-0.04428+(0.51507 \cdot 0.9 \cdot 0.06797) \cdot\left(0+2.5^{\circ}\right)
$$

$$
\mathbf{C}_{\mathrm{M}, 0}=0.0344909
$$

Hence, the value of $C_{M, 0}$ is greater than ' 0 ' and falls in the permissible range. Therefore, the above calculation prove that the UAV is longitudinally stable.
This has satisfied the second criteria of the longitudinal static stability.


Fig 15 : Pitching Moment Curve Slope for the Entire UAV

Now, to determine trim angle of attack, $\alpha_{\text {trim }}$ or $\alpha_{e}, \mathbf{C}_{\mathrm{m}, \mathrm{c}, \mathrm{g}}=\mathbf{0}$ in the Pitching moment coefficient curve slope.


Fig 16 : Pitching Moment Coefficient Curve Slop for Entire Aircraft

For calculating the trim angle of attack, the following equation will be used: -

$$
\mathrm{C}_{\mathrm{M}, \mathrm{c.g}}=\mathrm{C}_{\mathrm{M}, 0}+\mathrm{C}_{\mathrm{M}, \alpha \cdot \alpha}
$$

If, $\alpha=\alpha_{\text {trim }}$, then $\mathbf{C}_{\mathrm{M}, \mathrm{cg}}=\mathbf{0}$
Hence, we obtain,

$$
\begin{gathered}
0=0.03449+(-0.02267) \cdot \alpha_{\text {trim }} \\
\alpha_{\text {trim }}=1.52130
\end{gathered}
$$

The equation,
$\mathrm{dC}_{\mathrm{M}, \mathrm{c}, \mathrm{g}} / \mathbf{d} \alpha_{\mathrm{a}}=\mathbf{a}\left[\left(\mathbf{h}-\mathbf{h}_{\mathrm{a}, \mathrm{wb}}\right)-\left\{\mathbf{V}_{\mathrm{H}} \cdot \eta \cdot\left(\mathrm{a}_{\mathrm{t}} / \mathbf{a}\right) \cdot(\mathbf{1 - ( d \varepsilon / d \alpha ) ) \} ]}\right.\right.$ indicates that static stability is a strong function of $\mathbf{h}$.


Fig 17 : Illustration of Static Stability (a) Equilibrium position (trimmed), (b) Pitched upward by disturbance, (c) Pitched downward by disturbance. In both $b$ and $c$, the airplane has the initial tendency to return to its equilibrium position.

There are two possibilities: If the aircraft is pitched upwards i.e., $\alpha>\alpha_{\mathrm{e}}$, the moment about the centre of gravity will be negative. The restoring moment is negative due to the change in angle of attack and this moment generated will lead to the nose down moment for the longitudinal stability. Hence, the airplane will initially tend to move back toward its equilibrium position after being disturbed. On the other hand, if the plane is pitched downward by the gust i.e., $\alpha<\alpha_{e}$, the resulting moment about the center of gravity will be positive (clockwise) and will tend to pitch the nose upward. Thus, again we have the situation where the airplane will initially tend to move back toward its equilibrium position after being disturbed due the positive restoring moment. This precisely gives the definition of static stability.

Neutral Point ( $\mathbf{h}_{\mathbf{n}}$ ): The C.G location at which $\mathbf{C}_{\mathrm{M}, \alpha}=\mathbf{0}$ i.e., the slope of pitching moment coefficient vs alpha is zero then the aircraft is said to be neutrally stable and at $\mathbf{C}_{M, \alpha}=\mathbf{0}$, stick fixed neutral point can be determined.
The location of the neutral point is readily obtained from equation,
$\mathrm{dC}_{\mathrm{M}, \mathrm{cg}} / \mathrm{d} \alpha_{\mathrm{a}}=\mathrm{a}\left[\left(\mathrm{h}-\mathbf{h}_{\mathrm{a}, \mathrm{wb}}\right)-\left\{\mathbf{V}_{\mathrm{H}} \cdot \eta \cdot\left(\mathrm{a}_{\mathrm{t}} / \mathbf{a}\right) \cdot(1-(\mathrm{d} \varepsilon / \mathrm{d} \alpha))\right\}\right]$ by substituting $\mathbf{h}=\mathrm{h}_{\mathrm{n}}$ and $\mathbf{d}_{\mathrm{CM}, \mathrm{c.g}} / \mathbf{d} \boldsymbol{\alpha}_{\mathrm{a}}=0$,

$$
\begin{gathered}
0=a\left[h_{n}-h_{\mathrm{ac}_{\mathrm{wb}}}-V_{H} \frac{a_{t}}{a}\left(1-\frac{\partial \varepsilon}{\partial \alpha}\right)\right] \\
\mathbf{h}_{\mathbf{n}}=\left[\mathbf{h}_{\mathbf{a c}, \mathbf{w b}}+\left\{\mathbf{V}_{\mathbf{H}} \cdot \boldsymbol{\eta} \cdot\left(\mathbf{a}_{\mathrm{t}} / \mathbf{a}\right) \cdot(\mathbf{1}-(\mathbf{d} \boldsymbol{\varepsilon} / \mathbf{d} \boldsymbol{\alpha}))\right\}\right]
\end{gathered}
$$

On substituting the values in the above equation, we get,
$\mathbf{h}_{\mathbf{n}}=0.25912+\{0.51507 .0 .9 .(0.7207) .(1-0.0081694\}]$

$$
\mathbf{h}_{\mathbf{n}}=0.5904 \approx 0.6(\text { Non-Dimensionalized })
$$



Fig 18 : Effect of the location of the center of gravity, relative to the neutral point, on static stability

From the above plot, it can be concluded that if the C.G is shifting forwards, i.e., towards the leading edge, the aircraft becomes more stable. However, if the C.G is shifted backwards, the aircraft becomes unstable and when it crosses the line of $\mathbf{C}_{\mathrm{M}, \alpha}=\mathbf{0}$ (Neutrally Stable), then $\mathbf{C}_{M, \alpha}>\mathbf{0}$. Hence,
For Static Stability, C.G should be ahead of Neutral Point (N.P).

For Unstability, C.G should be behind of Neutral Point (N.P)

For Neutral Static Stability, $\mathbf{h}=\mathbf{h}_{\mathbf{n}}$

Static Margin: Static Margin is the distance between the neutral point and the actual C.G position. The static margins talk about the stability. Higher is the static margin, the aircraft becomes more stable.

$$
\begin{gathered}
\text { Static Margin }=\left(x_{N P} / M A C\right)-\left(x_{C . G} / M A C\right) \\
\text { Static Margin }=h_{n}-h=0.6-0.35 \\
\text { Static Margin }=0.25
\end{gathered}
$$

Also, the equation,

$$
\mathbf{C}_{\mathrm{M}, \mathrm{c} . \mathrm{g}} / \mathbf{d} \boldsymbol{a}=-\mathbf{a}\left(\mathbf{h}_{\mathrm{n}}-\mathbf{h}\right)=-\mathrm{a} . \text { (Static Margin) }
$$

On substituting the values, we get,

$$
\mathbf{C}_{\mathrm{M}, \mathrm{c}, \mathrm{~g}} / \mathbf{d} \alpha_{\mathrm{a}}=-0.02357
$$

This shows that the static margin is a direct measure of longitudinal static stability. For static stability, the static margin must be positive.
Moreover, the larger the static margin, the more stable the airplane.

Hence, from the Aircraft Stability and Control concept, it is proved that the UAV designed is longitudinally stable and the values of the parameters lies within the permissible range.

### 4.4 Locations of Aerodynamic Centre, C.G, Neutral Point and Static margin



Fig 19 : Illustration of the Locations: A.C, C.G, N.P, Static Margin

| S.No. | LOCATIONS | VALUE |
| :---: | :---: | :---: |
| 1. | Centre of Gravity (C.G) from Leading Edge (L.E) | $\begin{aligned} & \mathbf{C} . \mathbf{G}=\mathrm{c} \times \mathrm{h}=0.166 \times 0.35 \\ & \mathbf{C} . \mathbf{G}=\mathbf{0 . 0 5 8 1} \mathbf{~ m}=\mathbf{5 . 8 1} \mathbf{~ c m} \end{aligned}$ |
| 2. | Neutral Point (N.P) from Leading Edge (L.E) | $\begin{aligned} & \mathbf{N} . \mathbf{P}=\mathrm{c}^{\times \mathrm{h}_{\mathrm{n}}}=0.166 \times 0.6 \\ & \text { N.P }=\mathbf{0 . 0 9 9 6} \mathbf{~ m}=\mathbf{9 . 9 6} \mathbf{~ c m} \end{aligned}$ |
| 3. | Static Margin | $\begin{aligned} & \text { Static Margin }=0.166 \times 0.25 \\ & \text { Static Margin }=0.0415 \mathbf{~ m}=\mathbf{4 . 1 5} \mathbf{c m} \end{aligned}$ |
| 4. | Aerodynamic Centre (Wing-Body) | $\begin{aligned} & \text { (a.c })_{\mathrm{w} . \mathrm{b}}=\mathrm{c}^{\mathrm{h}} \mathrm{~h}_{\mathrm{ac}, \mathrm{wb}}=0.166 \times 0.25912 \\ & (\mathbf{a} . \mathrm{c})_{\mathrm{w} . \mathrm{b}}=\mathbf{0 . 0 4 3 0 1} \mathbf{~ m}=\mathbf{4 . 3 0 1 3} \mathbf{~ c m} \end{aligned}$ |

### 4.5 Elevator Trim Angle

The longitudinal control during the aircraft flight is done by the elevator located on the horizontal stabilizer. The elevator functions for the pitch control during the flight and is deflected upwards or downwards accordingly to maintain an equilibrium flight. This process allows the aircraft to fly at trim angle of attack and is said to be longitudinally stable.


Fig 20 : Elevator Control for Pitch
$\delta_{\mathrm{e}}$ is the elevator deflection. If $\delta_{\mathrm{e}}$ is positive then the elevator is deflected downwards, generating more lift on the tail section. On the other hand, if $\boldsymbol{\delta}_{\mathrm{e}}$ is negative then the elevator is deflected upwards, generating more drag, and thereby reduced lift on the tail section.
$\mathbf{c}_{\mathrm{e}}$ : Elevator chord length

Elevator Control Effectiveness ( $\tau$ ): The control effectiveness is the measure of how effective the control deflection is in producing the desired control moment.

## Control Effectiveness $=\mathrm{f}_{\mathrm{n}}\left(\right.$ Size of flap, $\left.\mathrm{V}_{\mathrm{H}}\right)$ )

$\mathbf{V}_{\mathbf{H}}=$ Horizontal Tail Volume Ratio $=\mathrm{l}_{\mathrm{t}} . \mathrm{s}_{\mathrm{t}} /\left(\mathrm{s} . \mathrm{c}_{\mathrm{mac}}\right)_{\mathrm{w}}$

If the elevator size is increased, then the control effectiveness will get increased, since the area of tail will get increased.
The deflection of the elevator will not change the slope of $\mathbf{C}_{\mathbf{M}, \omega}$ it only changes the trim angle. With the change in the elevator angle, trim point changes and hence the trim angle also changes.


Fig 21 : Change in Trim Angle with Elevator Deflection

Elevator Control Power ( $\mathbf{C}_{\mathbf{M}, \mathbf{\delta}, \mathbf{e}}$ ): The elevator control power is defined as the ratio of the coefficient of the pitching moment to the elevator deflection.
$\mathbf{C}_{\mathrm{M}, \delta, \mathrm{e}}$ is also known as the Stability Derivative. It tells that how much the elevator has the controlling power. It tells that with the elevator deflection, how much pitching moment changes

$$
\mathbf{C}_{\mathrm{M}, \delta, \mathrm{e}}=\mathrm{dC} \mathrm{M}_{\mathrm{M}} / \mathrm{d} \delta_{\mathrm{e}}
$$

It is also given by the relation,

$$
C_{M, \delta, \mathrm{e}}=-V_{\mathbf{H}} \cdot \eta \cdot \mathbf{C}_{\mathbf{L}, \alpha, \mathrm{t}} \cdot \tau
$$

$\mathbf{V}_{\mathbf{H}}=$ Horizontal Tail Volume Ratio
$\boldsymbol{\eta}=$ Tail Efficiency ( 0.8 to 1.2 )
$\mathbf{C}_{\mathbf{L}, \boldsymbol{\alpha}, \mathrm{t}}=3 \mathrm{D}$ lift curve slope of tail section
$\boldsymbol{\tau}=$ Elevator effectiveness parameter

$$
\tau=\mathrm{d} \alpha_{\mathrm{t}} / \mathrm{d} \delta_{\mathrm{e}}
$$

The designer can control the magnitude of the elevator control effectives by proper selection of the horizontal tail volume ration and the elevator size.

For the design of fixed wing UAV, the following values have been calculated: -
$\mathbf{C}_{\mathrm{M}, 0}=0.0344$
$\mathbf{C}_{\mathbf{L}, \boldsymbol{\alpha}}=0.09431$ per degree
$\mathbf{C}_{\mathbf{L}, \boldsymbol{\alpha}, \mathrm{t}}=0.06797$
$\mathbf{C}_{\mathrm{M}, \mathrm{\alpha}}=-0.02267$
$\boldsymbol{\alpha}_{\text {trim }}=1.52^{\circ}$
$\boldsymbol{\alpha}_{\text {cruise }}=4^{\circ}$
$\mathbf{C}_{\text {L,cruise }}=0.66017$
$\mathbf{C}_{\mathbf{L}, \mathbf{\delta}, \mathrm{e}}=0.04$ (From Free Flight Database)
$\mathbf{V}_{\mathbf{H}}=0.51507$
$\boldsymbol{\eta}=0.9$

Now,

$$
\begin{gathered}
\mathrm{C}_{\mathrm{L}, \delta, \mathrm{e}}=\mathrm{dC}_{\mathrm{L}, \mathrm{t}} / \mathrm{d} \delta_{\mathrm{e}}=0.04 \\
\mathbf{d} \boldsymbol{\alpha}_{\mathrm{t}} / \mathbf{d} \delta_{\mathrm{e}}=0.04 / \mathrm{a}_{\mathrm{t}}
\end{gathered}
$$

After re-substituting, we obtain, $\tau$ (Elevator Effectiveness
Parameter) $=\mathrm{d} \alpha_{\mathrm{t}} / \mathrm{d} \delta_{e}$

$$
\begin{gathered}
\mathbf{d} \boldsymbol{\alpha}_{\mathrm{t}} / \mathbf{d} \delta_{\mathrm{e}}=0.04 / 0.0679 \\
\mathbf{d} \boldsymbol{\alpha}_{\mathrm{t}} / \mathbf{d} \delta_{\mathrm{e}}=0.5891
\end{gathered}
$$

Elevator Control Power $\left(\mathrm{C}_{\mathrm{M}, \delta, \mathrm{e}}\right)=-\mathrm{V}_{\mathrm{H}} . \eta . \mathrm{CL}_{, \alpha, \mathrm{t}} . \tau$

$$
\begin{gathered}
\mathbf{C}_{\mathrm{M}, \delta, \mathrm{e}}=-0.51507 \cdot 0 \cdot 9 \cdot 0.06797 \cdot 0.5891 \\
\mathbf{C}_{\mathrm{M}, \delta, \mathrm{e}}=-0.01856
\end{gathered}
$$

## Calculation of Elevator Angle of Trim ( $\delta_{\text {trim }}$ ): -

Since the pitching moment of the centre of gravity is given by: -

$$
C_{M, \mathrm{cg}}=C_{M, \mathrm{ac} \mathrm{wb}}+C_{L, \mathrm{wb}}\left(h-h_{\mathrm{ac}}\right)-V_{H}\left(a_{t} \alpha_{t}+\frac{\partial C_{L, t}}{\partial \delta_{e}} \delta e\right)
$$

The above equation explicitly gives the effect of elevator deflection on moments about the center of gravity of the airplane.
The increment in $\mathbf{C}_{M}$, c.g due only to a given elevator deflection $\delta_{\mathrm{e}}$ is given by,

$$
\Delta C_{M, \mathrm{cg}}=-V_{H} \frac{\partial C_{L, t}}{\partial \delta_{e}} \delta_{e}
$$



Fig 22 : Elevator Deflection to Maintain the Equilibrium

The geometric equation of the new slope is given by: -

$$
C_{M, \mathrm{cg}}=C_{M, 0}+\frac{\partial C_{M, \mathrm{cg}}}{\partial \alpha} \alpha
$$

Now, if the elevator is deflected by an angle $\delta_{e}$, the above equation will have an additional term as $\Delta \mathbf{C}_{\mathrm{M}, \mathrm{c.g}}$

$$
C_{M, \mathrm{cg}}=C_{M, 0}+\frac{\partial C_{M, \mathrm{cg}}}{\partial \alpha} \alpha+\Delta C_{M, \mathrm{cg}}
$$

Also,

$$
\Delta C_{M, \mathrm{cg}}=-V_{H} \frac{\partial C_{L, t}}{\partial \delta_{e}} \delta_{e}
$$

On substitung $\Delta \mathrm{C}_{\mathrm{M}, \mathrm{cg} \text { g }}$ in the above equation, we get,

$$
C_{M, \mathrm{cg}}=C_{M, 0}+\frac{\partial C_{M, \mathrm{cg}}}{\partial \alpha} \alpha-V_{H} \frac{\partial C_{L, t}}{\partial \delta_{e}} \delta_{e}
$$

In order to bring the aircraft to the equilibrium position, the elevator deflection must be at its trim location i.e., $\delta_{\text {trim }}$. Also, at the trim condition, $\mathrm{C}_{\mathrm{M}, \mathrm{c} . \mathrm{g}}=0$.

Hence, on substituting in the above equation, we get,

$$
\begin{gathered}
0=C_{M, 0}+\frac{\partial C_{M, \mathrm{cg}}}{\partial \alpha} \alpha-V_{H} \frac{\partial C_{L, t}}{\partial \delta_{e}} \delta_{\text {trim }} \\
\delta_{\text {trim }}=\frac{C_{M, 0}+\left(\partial C_{M, \mathrm{cg}} / \partial \alpha\right) \alpha}{V_{H}\left(\partial C_{L, t} / \partial \delta_{e}\right)}
\end{gathered}
$$

On substituting the values in the above equation, we get,

$$
\delta_{\text {trim }}=[(0.034+(-0.02267)) \times 4] /(0.51507 \times 0.04)
$$

$$
\delta_{\text {trim }}=-2.7452^{\circ}
$$

Hence, to trim the aircraft to its equilibrium position, the elevator deflection required is $\mathbf{- 2 . 7 4 5 2}{ }^{\circ}$ i.e., the elevator must be deflected upwards by an angle of $2.7452^{\circ}$.

## 5. Iterative Battery Weight Estimation

The mission requirement and the conceptual design dimensions are required to be defined before proceeding with the Iterative Weight Estimation.
Since, the project contains the fabrication part also, so the initial sizing and weight were fixed based on the material available in the market and the purpose of fabrication of the UAV.
During the conceptual design study, following parameters were kept for the initial layout of the fixed wing UAV: -

The initial design weights were considered for the UAV for commercial monitoring.

1. Gross Weight of the $\mathbf{U A V}(\mathbf{W})=700 \mathrm{~g}$ (Design Weight)
2. Weight of the Propulsion System (Wp) $=60 \mathrm{~g}$ to 80 g (Based on Market Research)
3. Weight of Payload (Camera for Surveillance) $(\mathbf{W p l})=$ 10 g to 20 g (Based on Market Research)
4. Weight of the Structure (Balsa Wood + Foam Board or Corrugated Sheets) (Wstr) $=463 \mathrm{~g}(400 \mathrm{~g}$ to 500 g$)$ (Design Weight Goal for Structure)

The efficiencies mentioned below are determined based on the market survey and by the study of configuration of the electronic equipment's available.
5. Efficiencies: i. Electrical Efficiency $\left(\eta_{\text {electrical }}\right)=0.98$

$$
\text { ii. Motor Efficiency }\left(\eta_{\text {motor }}\right) \quad=0.9
$$

iii. Propulsion Efficiency $\left(\eta_{\text {propulsion }}\right)=0.95$
6. Maximum Flight Velocity $\left(\mathbf{V}_{\infty}\right)=5.55 \mathrm{~m} / \mathrm{s}$ to $10.55 \mathrm{~m} / \mathrm{s}$ ( $19.98 \mathrm{ft} / \mathrm{s}$ to $37.98 \mathrm{ft} / \mathrm{s}$ )
7. Maximum Time of Flight $=15 \mathrm{~min}$ to 25 mins
8. Maximum Altitude $=20 \mathrm{~m}(65.6167 \mathrm{ft})$


Fig 23 : Lift Curve Slope for Airfoil and Wing

From the flight data, it has been observed that cruise angle of attack lies between $4^{\circ}$ to $6^{\circ}$.
9. Cruise Angle of Attack $=4^{\circ}$
10. Coefficient of Lift $\left(C_{L}\right)$ at $4^{0}$ angle of attack $=0.09431$ $=\left(\mathrm{C}_{\mathrm{L}}-0\right) /(4-(-3))$

$$
\left(C_{L}\right)_{\alpha=4^{0}}=0.66017 \text { (Cruise) }
$$

11. Coefficient of Drag $\left(C_{D}\right)=C_{D, 0}+k$. CL2 $=0.03+0.054$. 0.662

$$
C_{D}=0.05352
$$

12. $\left(C_{L} / C_{D}\right)$ cruise $=0.6601 / 0.0535$
$\left(C_{L} / C_{D}\right)$ cruise $=12.4528$

Also, the maximum design time and the cruising velocity is also determined during the conceptual design phase. All these design parameters will be useful in the iterative weight estimation using MATLAB. This software will be used to predict whether the calculated values of the total weight,
structure, battery and payload are similar to those as specified during the conceptual design study or not.
13. Weight Ratios $=$ i. $\mathrm{Wstr} / \mathrm{W}=0.6614$ (From the Historical Database)
ii. $\mathrm{Wp} / \mathrm{W}=0.1028$ (From the Historical Database)
14. Specific Energy Density (S.E.D) for 2200 mAh LiPo Battery (11.1V)

$$
\text { S.E.D }=(2200 \times 11.1) /(1000 \times 07)
$$

$$
\text { S.E.D }=34.8857 \text { Wthr } / \mathrm{Kg}
$$

15. Output from Brushless Motor: $P_{s}$ (Shaft Power)
16. Power Available to move the UAV forward: $P_{A}$
17. Input Power for the brushless motor form electric source: $\mathrm{P}_{\text {electric }}$
18. Efficiencies: i. Electrical Efficiency ( $\eta_{\text {electrical }}$ ) = $\mathbf{P}_{\text {electric }} / \mathbf{P}_{\text {battery }}=0.98$
ii. Motor Efficiency $\left(\eta_{\text {motor }}\right)=\mathbf{P}_{s} / \mathbf{P}_{\text {electric }}=0.9$
iii. Propulsion Efficiency ( $\eta_{\text {propulsion }}$ ) $=\mathbf{P}_{\mathrm{A}} / \mathbf{P}_{\mathbf{s}}=0.95$


Fig 24 : Typical Architecture of Brushless Motor Propulsion

Approach of Writing the MATLAB Code for Weight Estimation: -

1. Consider the weight and ratios of the baseline UAV.
2. Specify the iteration for convergence: $\left(\mathrm{W}_{\mathrm{i}+1}-\mathrm{W}_{\mathrm{i}}\right)<10^{-10}$ (Criteria for Convergence)
3. New Weight Calculation for UAV: $\mathrm{W}_{\mathrm{i}} \rightarrow \mathrm{W}_{\text {battery }} \rightarrow \mathrm{W}_{\mathrm{N}}$ (New Weight of UAV)

$$
\mathbf{W}_{\mathrm{N}}=\mathrm{W}_{\text {str }}+\mathrm{W}_{\text {propulsion }}+\mathrm{W}_{\text {battery }}+\mathrm{W}_{\mathrm{pl}}
$$

Hence, the new weight of the UAV must be equal to the weight of baseline UAV selected during the initial phase for iterations. Iterations will also determine the weight of the battery which will be required to fly the UAV and maintain longitudinal static stability.

## MATLAB Code for Weight Estimation: -

clear all
close all
clc
$\mathrm{V}=$ input('Enter the Flight Velocity in $\mathrm{m} / \mathrm{s} \backslash \mathrm{n}$ ');
$\mathrm{t}=$ input('Enter the Total Time of Flight in Hrs $\backslash \mathrm{n}$ ');
SED=input('Enter the Specific Energy Density of Battery in Wh.Hr/Kg \n');

W_b=0.7; $\quad$ \%Base Line Aircraft Weight in Kg
Wst_W=0.6614; \%Structural Weight Ratio Wstr/W
Wpro_W=0.1028; \%Propulsion System Weight Ratio Wpro/W
W_PL=0.015; \%Payload of EO/IR Sensor in Kg
eff_propulsion=0.95;
eff_electrical=0.98;
eff_motor=0.9;
$\mathrm{k}=0$;
for LbyD = 3:1:14

$$
\mathrm{k}=\mathrm{k}+1 ;
$$

L_D $(k, 1)=$ LbyD;
W_STR = Wst_W*W_b;
W_PRO = Wpro_W*W_b;

$$
\mathrm{i}=0
$$

Wi = W_b;

$$
\mathrm{Wf}=0 ;
$$

while abs (Wi-Wf) $>10^{\wedge}(-10)$

```
    \(\mathrm{i}=\mathrm{i}+1\);
    if \(\mathrm{i}==1\)
        Wi \(=\) W_b;
    else
        \(\mathrm{Wi}=\mathrm{W}\);
    end
    \(\mathrm{Pr}=\left(\mathrm{Wi}{ }^{*} 9.81^{*} \mathrm{~V}\right) /(\mathrm{LbyD})\);
P_bat \(=(1 /(\) eff_propulsion*eff_electrical*eff_motor) \() * \operatorname{Pr}\);
W_Bat \(=\left(\mathrm{P}_{-}\right.\)bat \(\left.{ }^{*} \mathrm{t}\right) /(\mathrm{SED})\);
    W = W_STR + W_PRO + W_Bat + W_PL;
    \(\mathrm{Wf}=\mathrm{W}\);
```

end

$$
\begin{aligned}
& \text { W_STR = Wst_W*W; } \\
& \begin{array}{l}
\text { W_PRO }=\text { Wpro_W*W; } \\
\text { i }=0 ; \\
\text { Wi }=\text { W; } \\
\text { Wf }=0 ;
\end{array}
\end{aligned}
$$

while abs (Wi-Wf) $>10^{\wedge}(-10)$

```
        \(\mathrm{i}=\mathrm{i}+1\);
    \(\mathrm{Wi}=\mathrm{W}\)
    Pr = (Wi*9.81*V)/(LbyD);
P_bat = (1/(eff_propulsion*eff_electrical*eff_motor))*Pr;
W_Bat = (P_bat*t)/(SED);
    W = W_STR + W_PRO + W_Bat + W_PL;
    \(\mathrm{Wf}=\mathrm{W}\);
end
```

```
        W_Final(k,1) = W;
    W_BATTERY(k,1) = W_Bat;
W_PROPULSION(k,1)= W_PRO;
    W_STRUCTURE(k,1)= W_STR;
end
```

figure(1)
subplot(4,1,1),plot(L_D,W_Final,'*k')
ylabel('W_t_o_t (kg)')
subplot(4,1,2),plot(L_D,W_BATTERY,'*k')
ylabel('W_b_a_t (kg)')
subplot(4,1,3),plot(L_D,W_PROPULSION,'*k')
ylabel('W_P_r_o (kg)')
subplot(4,1,4),plot(L_D,W_STRUCTURE,'*k')
ylabel('W_s_t_r (kg)')
xlabel('L/D')


Fig 25 : MATLAB Command Window


Fig 26 : Battery Weight Determination from MATLAB Iterations

Results and Discussions: From the MATLAB Weight Estimation Program, the following weights were determined for the fixed wing UAV: -

1. Weight of Battery: 153.24 g
2. Weight of Propulsion System: 72.23 g
3. Weight of the Structure: 464.72 g

Hence, it was observed that the weight of the propulsion system and the structure is found in the desirable range. However, the main objective of performing the iterations was to obtain the battery weight for the designed UAV. The weight was found to be 153.24 g which is $21.8914 \%$ of the design weight of UAV.

It can be concluded that, from the MATLAB iterations on weight estimation, the gross weight of the UAV is 700 g and for maintaining the longitudinal static stability, the battery required for the design is to be around 153 g .

## 6. Performance Estimation

The forces acting on the aircraft are: -

- Lift L, which is perpendicular to the flight path direction.
- Drag D, which is parallel to the flight path direction.
- Weight W, which acts vertically toward the center of the earth (and hence is inclined at angle $\theta$ with respect to the lift direction).
- Thrust T, which in general is inclined at the angle $\alpha \mathrm{T}$ with respect to the flight path direction.
Thrust required for level flight,


## T/W=D/L (Level Flight Condition)

Minimum thrust required,

$$
\mathrm{T}_{\mathrm{R}, \min }=\mathrm{W} /\left(\mathrm{C}_{\mathrm{L}} / \mathrm{C}_{\mathrm{D}}\right)_{\max ,},
$$

Here, thrust required is minimum when L/D is maximum
Stalling velocity is given by,

$$
V_{\min }=V_{\text {stall }}=\left(L /(1 / 2) \cdot \rho \cdot s . C_{L, \max }\right)^{(1 / 2)}
$$

Power required is given by,

$$
P_{R}=\left(2 \cdot W^{3} /\left(\rho_{\infty} \cdot s\right)\right)^{(1 / 2)} \cdot\left(1 /\left(C_{L}{ }^{(3 / 2)} / C_{D}\right)\right),
$$

Here, the power required is minimum when CL(3/2)/ CD is maximum.

For fixed-wing UAV,
$\mathbf{V}_{\text {stall }}=5.5528 \mathrm{~m} / \mathrm{s}$
$\mathbf{V}_{\text {cruise }}=9.1573 \mathrm{~m} / \mathrm{s}$

## Power Available for Flight: -

The rate of climb $(R / C)$ is also given by $\mathbf{R} / \mathbf{C}=\left(P_{A}-P_{R}\right) / W$, $\mathrm{R} / \mathrm{C}=1.12$,
$\mathbf{P}_{\mathrm{A}}=(\mathrm{R} / \mathrm{C}) \cdot \mathrm{W}+\mathrm{P}_{\mathrm{R}}$
$\mathbf{P}_{\mathrm{A}}=(\mathrm{R} / \mathrm{C}) \cdot \mathrm{W}+\left(\mathrm{D} \cdot \mathrm{V}_{\infty}\right)$
$\mathbf{P}_{\mathrm{A}}=(1.12 \times 0.7 \times 9.81)+(0.5 \times 1.225 \times 5.553 \times 0.20252(0.03$ $+(0.0541 \times 0.17942))$

$$
\mathbf{P}_{\mathrm{A}}(\text { Power Available })=8.36413 \mathrm{~W}
$$

The maximum flight velocity for UAV can be determined when $\mathbf{P}_{\mathbf{A}}=\mathbf{P}_{\mathbf{R}}$. Hence, the power required plots can be utilized to measure the value of the maximum velocity.

For the fixed wing UAV, the performance calculations are performed for the determination of $C_{L} / C_{D}, C_{L}{ }^{(3 / 2) / C D}$, thrust required and power required.

| $\mathrm{V} \propto(\mathbf{m} / \mathrm{s})$ | Cl | Cd | $\mathrm{Cl} / \mathrm{Cd}$ | $\mathrm{Cl} \wedge(\mathbf{1} / 2) / \mathrm{Cd}$ | $\mathrm{Cl} \wedge(3 / 2) / \mathrm{Cd}$ | $\mathrm{Tr}(\mathrm{N})$ | $\operatorname{Pr}(\mathrm{N} . \mathrm{m} / \mathrm{s})$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathbf{4}$ | 3.4599757 | 0.67801362 | 5.103107 | 2.743456695 | 9.492293592 | $\mathbf{1 . 3 4 5 6 5 0 9}$ | $\mathbf{5 . 3 8 2 6 0 3 6 7}$ |
| $\mathbf{4 . 5}$ | 2.733808 | 0.43455171 | 6.291099 | 3.804893795 | 10.40184905 | $\mathbf{1 . 0 9 1 5 4 2 1}$ | $\mathbf{4 . 9 1 1 9 3 9 6}$ |
| $\mathbf{5}$ | 2.2143845 | 0.29542638 | 7.495554 | 5.037061382 | 11.1539905 | $\mathbf{0 . 9 1 6 1 4 3}$ | $\mathbf{4 . 5 8 0 7 1 5 2 4}$ |
| $\mathbf{5 . 5}$ | 1.8300698 | 0.21128979 | 8.661421 | 6.402584539 | 11.71717667 | $\mathbf{0 . 7 9 2 8 2 6}$ | $\mathbf{4 . 3 6 0 5 4 3 1 4}$ |
| $\mathbf{6}$ | 1.537767 | 0.15800269 | 9.732537 | 7.848393805 | 12.06900094 | $\mathbf{0 . 7 0 5 5 7 1 4}$ | $\mathbf{4 . 2 3 3 4 2 8 6 4}$ |
| $\mathbf{6 . 5}$ | 1.3102867 | 0.12293315 | 10.65853 | 9.31138193 | 12.20057961 | $\mathbf{0 . 6 4 4 2 7 2 7}$ | $\mathbf{4 . 1 8 7 7 7 2 7 1}$ |
| $\mathbf{7}$ | 1.129788 | 0.09909266 | 11.40133 | 10.72647373 | 12.11864125 | $\mathbf{0 . 6 0 2 2 9 8 2}$ | $\mathbf{4 . 2 1 6 0 8 7 7}$ |
| $\mathbf{7 . 5}$ | 0.9841709 | 0.0824299 | 11.93949 | 12.0351213 | 11.84461586 | $\mathbf{0 . 5 7 5 1 5 0 3}$ | $\mathbf{4 . 3 1 3 6 2 6 9 6}$ |
| $\mathbf{8}$ | 0.8649939 | 0.07050085 | 12.26927 | 13.19204641 | 11.41104012 | $\mathbf{0 . 5 5 9 6 9 1}$ | $\mathbf{4 . 4 7 7 5 2 8 2 3}$ |
| $\mathbf{8 . 5}$ | 0.766223 | 0.0617796 | 12.40252 | 14.16878192 | 10.85644659 | $\mathbf{0 . 5 5 3 6 7 7 6}$ | $\mathbf{4 . 7 0 6 2 5 9 4 4}$ |
| $\mathbf{9}$ | 0.683452 | 0.05528448 | 12.36246 | 14.95377231 | 10.22018555 | $\mathbf{0 . 5 5 5 4 7 2 1}$ | $\mathbf{4 . 9 9 9 2 4 9 1 9}$ |
| $\mathbf{9 . 5}$ | 0.6134029 | 0.05036712 | 12.17864 | 15.54983452 | 9.538313595 | $\mathbf{0 . 5 6 3 8 5 6 2}$ | $\mathbf{5 . 3 5 6 6 3 3 9 4}$ |
| $\mathbf{1 0}$ | 0.5535961 | 0.04658915 | 11.88251 | 15.97025106 | 8.841068983 | $\mathbf{0 . 5 7 7 9 0 8 1}$ | $\mathbf{5 . 7 7 9 0 8 1 0 6}$ |
| $\mathbf{1 0 . 5}$ | 0.502128 | 0.04364793 | 11.50405 | 16.23467244 | 8.151883565 | $\mathbf{0 . 5 9 6 9 2 0 2}$ | $\mathbf{6 . 2 6 7 6 6 2 4 2}$ |
| $\mathbf{1 1}$ | 0.4575175 | 0.04133061 | 11.0697 | 16.36560253 | 7.487548779 | $\mathbf{0 . 6 2 0 3 4 2}$ | $\mathbf{6 . 8 2 3 7 6 2 4 6}$ |
| $\mathbf{1 1 . 5}$ | 0.4185982 | 0.0394849 | 10.60148 | 16.38579962 | 6.859066203 | $\mathbf{0 . 6 4 7 7 4}$ | $\mathbf{7 . 4 4 9 0 1 0 2 3}$ |
| $\mathbf{1 2}$ | 0.3844417 | 0.03800017 | 10.11684 | 16.31660326 | 6.272783481 | $\mathbf{0 . 6 7 8 7 6 9}$ | $\mathbf{8 . 1 4 5 2 2 8 4 2}$ |
| $\mathbf{1 2 . 5}$ | 0.3543015 | 0.03679492 | 9.629089 | 16.17702652 | 5.731545008 | $\mathbf{0 . 7 1 3 1 5 1 6}$ | $\mathbf{8 . 9 1 4 3 9 4 6 8}$ |
| $\mathbf{1 3}$ | 0.3275717 | 0.03580832 | 9.14792 | 15.98340097 | 5.235709303 | $\mathbf{0 . 7 5 0 6 6 2 4}$ | $\mathbf{9 . 7 5 8 6 1 1 7 5}$ |
| $\mathbf{1 3 . 5}$ | 0.3037564 | 0.03499447 | 8.680128 | 15.74937717 | 4.783974791 | $\mathbf{0 . 7 9 1 1 1 7 4}$ | $\mathbf{1 0 . 6 8 0 0 8 4 4}$ |
| $\mathbf{1 4}$ | 0.282447 | 0.03431829 | 8.230217 | 15.48612724 | 4.374010161 | $\mathbf{0 . 8 3 4 3 6 4 4}$ | $\mathbf{1 1 . 6 8 1 1 0 1}$ |
| $\mathbf{1 4 . 5}$ | 0.2633037 | 0.03375277 | 7.800952 | 15.20264239 | 4.00291263 | $\mathbf{0 . 8 8 0 2 7 7 2}$ | $\mathbf{1 2 . 7 6 4 0 1 9 4}$ |
| $\mathbf{1 5}$ | 0.2460427 | 0.03327687 | 7.393806 | 14.90605789 | 3.66752701 | $\mathbf{0 . 9 2 8 7 5 0 3}$ | $\mathbf{1 3 . 9 3 1 2 5 5 1}$ |

Fig 27 : Calculation of the Performance Parameters



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## 7. Computer Aided Designing (CAD): Detail Design



Fig 28 : Fixed-Wing UAV Design using CATIA V5


Fig 29 : Drafting Sheet for Fixed-Wing UAV Design

## 8. Explicit Dynamics Analysis using ANSYS

ANSYS explicit dynamics uses the Lagrangian Frame of Reference. This frame of reference is the most commonly used type and also is the fastest method to represent the analysis on the structural components. It effectively captures the material location of the meshed domain and plots the deformation values as the forces are applied.

### 8.1 Bird Strike Explicit Dynamics

The bird modelling is done using CATIA V5, where the cylindrical geometry is designed with the diameter D and the length of the geometry as twice of the diameter i.e., $\mathrm{L}=2 \times \mathrm{D}$. This cylindrical geometry is considered equivalent to the bird geometry and can be taken into consideration while doing the explicit dynamics.
The cylindrical geometry is designed close to the wing leading edge to capture the accurate deformation on the leading-edge surface.

## Bird Geometry Details: -

D $=114.0999 \mathrm{~mm}$ (From Data Sources)
$\mathbf{L}=2 \times D=228.1999 \mathrm{~mm}$

## Material Selection: -

A. For Fixed Wing UAV,

E = 11.4 GPa (Considering Soft Woods - Balsa Wood or Spruce Wood), $\boldsymbol{\rho}=400 \mathrm{~kg} / \mathrm{m}^{3}, \boldsymbol{v}=0.3$
B. For Cylindrical Body (Equivalent to Bird)
$\mathbf{E}=3.2 \mathrm{GPa}, \boldsymbol{\rho}=150 \mathrm{~kg} / \mathrm{m} 3$ (For Indian Bird 'Corvus splendens'), $v=0.3$

## Velocity Selection: -

The flight velocity of the UAV ranges from $5.55 \mathrm{~m} / \mathrm{s}$ to 10.55 $\mathrm{m} / \mathrm{s}$ based on the design guidelines. However, the maximum flight velocity can reach up to a value of $15 \mathrm{~m} / \mathrm{s}$ if the UAV flies at full throttle setting.

Velocity of the UAV: $13 \mathrm{~m} / \mathrm{s}$, Velocity of the Bird: $5 \mathrm{~m} / \mathrm{s}$, Relative Velocity of the Bird: $18 \mathrm{~m} / \mathrm{s}$

## Boundary Condition: -

Fixed Wing UAV: Fixed in Space, Cylindrical Body: YVelocity of $18 \mathrm{~m} / \mathrm{s}$

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Fig 30 : Fine Mesh-Cylindrical Body, Unstructured Fine Mesh-Fixed Wing UAV

Total Nodes: 154089, Total Elements: 387494
Total Deformation Result,


Fig 31 : Detailed Meshed Deformation

Total Deformation: 9.1122 mm

It can be observed that the fixed wing UAV being a stronger material is able to withstand the load. The deformation at the leading edge varies from 4 mm to 6 mm .

### 8.2 Underbody Crash Explicit Dynamics

The underbody crash test denotes the belly-landing situation of the UAV with no power or during the stall conditions.

The fixed wing UAV geometry is kept same without any change in the dimension. However, it is assumed that the UAV will undergo belly landing on a concrete base.
Since, ANSYS Fluent does not have the provision to select the entire surface as the ground or base, so during the modelling, a plate is designed at 2 mm below the undercarriage of the fixed-wing UAV.

Concrete Base Geometry Details: -
Length ( $\mathbf{l}$ ) $=1300 \mathrm{~mm}$, Breadth (b) $=1150 \mathrm{~mm}$, Thickness ( t$)=50 \mathrm{~mm}$

## Material Selection: -

A. For Fixed Wing UAV,

E = 11.4 GPa (Considering Soft Woods - Balsa Wood or Spruce Wood), $\boldsymbol{\rho}=400 \mathrm{~kg} / \mathrm{m} 3, v=0.3$
B. For Concrete Base
$\mathbf{E}=30 \mathrm{GPa}, \boldsymbol{\rho}=2300 \mathrm{~kg} / \mathrm{m}^{3}, \boldsymbol{v}=0.18$

## Drop Height of the UAV: -

h $=50 \mathrm{~m}$

## Impact Velocity of fixed-wing UAV: -

The impact velocity is calculated by the relation, $\mathbf{V}=\sqrt{ }(2 . \mathrm{g} . \mathrm{h})$,
$\mathbf{g}=9.8 \mathrm{~m} / \mathrm{s}^{2}, \mathbf{h}=50 \mathrm{~m}$

$$
\mathbf{V}=31.3049 \mathrm{~m} / \mathrm{s}
$$

This is the impact velocity specified to the fixed wing UAV, which will impact the concrete base.

## Boundary Condition: -

Fixed Wing UAV: Z- velocity of $31.3049 \mathrm{~m} / \mathrm{s}$, Concrete Base: All four edges fixed in space


Fig 32 : Fine Mesh-Concrete Base, Unstructured MeshFixed Wing UAV

Total Nodes: 92581, Total Elements: 180196

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Total Deformation Result,


Fig 33 : Detailed Meshed Deformation

Total Deformation: 13.817 mm

It can be observed that the maximum deformation occurs on the UAV because, there is sudden interaction of the UAV with the concrete base, which will damage the underbody balsa wood. Hence, the corrugated sheet thickness must be increased by around $\mathbf{1 5} \mathbf{~ m m}$ at the underbody so that it can absorb the loads and protect electrical components.

## 9. Additive Manufacturing

The additive manufacturing is a process in which a part or a product is formed by adding the material layer by layer. It is ideal for engineering applications like prototyping, manufacturing tooling, etc. The printing methodology adopted for fixed-wing UAV is Fused Deposition Modeling (FDM)


Fig 34 : Fused Deposition Modelling

### 9.1 3-D Printing Configuration Setup

1. Technique Used: FDM
2. 3-D Printer: ORIGINAL PRUSA I3 MK3
3. STL File Importing Software: FlashPrint
4. Slicing and gx File Generation Software: Ultimaker Cura
5. Material Used: PLA

Ultimaker Cura Print Settings: -
Quality: 1. Layer Height: 0.25 mm
2. Initial Layer Height: 0.25 mm

Material: 1. Printing Temperature: $215^{\circ} \mathrm{C}$
2. Initial Printing Temperature: $215^{\circ} \mathrm{C}$
3. Final Printing Temperature: $215^{\circ} \mathrm{C}$
4. Build Plate Initial and Final Temperature: $60^{\circ} \mathrm{C}$

Speed: 1. Print Speed: $30 \mathrm{~mm} / \mathrm{s}$
2. Travel Speed: $120 \mathrm{~mm} / \mathrm{s}$
3. Initial Layer Print Speed: $15 \mathrm{~mm} / \mathrm{s}$
4. Initial Layer Travel Speed: $60 \mathrm{~mm} / \mathrm{s}$
5. Retraction Speed: $35 \mathrm{~mm} / \mathrm{s}$

Cooling: 1. Maximum Fan Speed: $100 \mathrm{~mm} / \mathrm{s}$
Support: 1. Support Structure: Normal
2. Support Placement: Touching Build Plate
3. Support Pattern: Zigzag

Dimensions of the UAV: $183.0 \times 146.6 \times 35.1 \mathrm{~mm}$ (Scale reduced to 15\%)
Estimated Weight of the 3-D Printed UAV: 42 g
Estimated Time of 3-D Printing: 4 hours 2 minutes
PLA Spool Parameters: $1.75 \mathrm{~mm}, 1044 \mathrm{~g}$, white color
Nozzle Diameter: 0.4 mm


Fig 35 : ORIGINAL PRUSA I3 MK3

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Fig 36 : Slicing Using Ultimaker Cura

### 9.2 3-D Printed Fixed-Wing UAV



Fig 37 : Isometric View


Fig 38 : Front View


Fig 39 : Side View


Fig 40 : Top View


Fig 41 : Underbody View

## 10. Fabrication of Fixed-Wing UAV

The final design stage of the entire design guidelines is the fabrication of the product. The 3-D printed prototype using FDM technique was done for the representation purpose and to highlight the features of the final fabricated part. In the current stage, the actual fixed wing UAV will be fabricated by the selection of appropriate lightweight materials, components, etc. The main objective lies to manufacture the Fixed-Wing UAV which meets the mission requirements i.e., commercial monitoring.

### 10.1 Material Selection

1. Wood: The selection of the appropriate wood is the main requirement for the construction fixed-wing UAV. Since, the design weight of the UAV is around 0.7 kg , so it is required that the lightest material be selected. The selected material should also have a greater strength to meet the structural strength aspects and safety during flight.

The wood selected for the fabrication of the fixed-wing UAV is Balsa Wood.

Balsa Wood Properties: -

- Lightest wood available for aeromodelling
- Wood Type: Hardwood
- Density: $120-220 \mathrm{~kg} / \mathrm{m}^{3}$
- Color: White, yellow, pale straw, light brown
- Elastic Modulus: 3.71 GPa

Advantages of balsa wood: -

- It is a high strength timber and extremely light in weight.
- It is easy to cut (CNC or laser), shape and carve.
- Easily available in the form of sheets and blocks.
- It retains a lot of water, which increases its strength.

2. Covering Material: The covering material used for the fixed wing UAV are the corrugated sheets. They are also known as coroplast/ fluted polypropylene sheets. They have parallel hollow flutes which make them very light material and strong.
These materials usually crush upon heavy impact instead of breaking in the case of the thermo-foam or foam board. These sheets can easily be formed into any shape or profile by certain amount of bending. These are available in various weights and colors.

### 10.2 Electrical Components

## 1. Brushless Motor

The brushless motor is the powerplant of the fixed-wing UAV. The brushless motor used is of the G-Power series and runs at 1500 KV .

- Shaft Diameter: 4 mm
- Shaft Length: 49 mm
- Brushless DC motor
- Maximum Pulling Capacity: 1200 g


Fig 42 : 1500KV Brushless Motor

## 2. LiPo Battery

The Lithium Polymer battery is the power hub for the propulsion system and other electrical components.

- Model No: ORANGE 2200/3S-30C
- Weight: 175.0 g
- Voltage: 11.1 V
- Dimensions: $23 \times 34 \times 106(\mathrm{~mm})$
- Charge Rate: 1-3C Recommended, 5C Max


Fig 43: 2200 mAh LiPo Battery

## 3. Electronic Speed Controller (ESC)

It regulates the speed of the electric motor and can be controlled by the transmitter by the user. It also converts the battery voltage down to 5 V , which is required by the transmitter to work. This property is known as the Battery Elimination Circuit (BEC).

- Model: SIMONK 30A.
- Constant Current: 30A (Max 40A < 10 sec ).
- BEC: 5V 2A.
- Suitable Batteries: 2-3S LiPo


Fig 44 : Electronic Speed Controller

## 4. Transmitter

The transmitter is the remote control of the fixed-wing UAV. The selected configuration is of 2.4 GHz frequency (bandrange) with 6 -channel arrangement. The transmitter sends the signal to the receiver which controls the servomechanisms to move the control surfaces and turn on and off the camera.
Transmitter Model: Fly-Sky CT6B 2.4GHz 6CH Transmitter


Fig 45 : Fly-Sky Transmitter

## 5. Receiver

It is an electronic device which uses the radio waves and extract the useful information such as the movement of the control surfaces, propulsion system and the camera function. It receives the signals from the transmitters and send signals to the servo motors for control surfaces and the ESC for the motor control.

Receiver Model: Fly-Sky-R6B Receiver


Fig 46 : Fly-Sky Receiver

## 6. Servo Motors

The servo motors are used as the rotary actuator in the fixed-wing UAV to move the control surfaces i.e., controlling the movement of ailerons, elevator and rudder.

- Weight: 9 gm
- Operating voltage: $3.0 \mathrm{~V} \sim 7.2 \mathrm{~V}$


Fig 47 : SG-90 Servo Motor
10.3 Component List for Fabrication

| COMPONENT LIST FOR FIXED WING UAV FABRICATION |  |  |
| :---: | :---: | :---: |
| S.No | Product Name | Quantity |
| 1 | Li-Po Battery (2200 mAH) : Model : 22650 | 1 |
|  |  |  |
| 2 | Simonk 30 ESC : 5V 2A | 1 |
|  |  |  |
| 3 | G-Power Series Brushless Motor : 1500 KV | 1 |
|  |  |  |
| 4 | Fly Sky 6-Channel Tranmitter and Receiver | 1 |
|  |  |  |
| 5 | Propeller (2-Blade) | 1 |
|  |  |  |
| 6 | SG-90 Servo Motors | 4 |
|  |  |  |
| 7 | Camera | 1 |
|  |  |  |
| 8 | Z Pull Push Control Steel Rods | 4 |
|  |  |  |
| 9 | Corpac Corrugated Sheets | 10 |
|  |  |  |
| 10 | Balsa Wood | 8 |
|  |  |  |
| 11 | Generic 40 Watt Glue Gun | 2 |
|  |  |  |
| 12 | Araldite 180g | 4 |
|  |  |  |
| 13 | Wires | 14 |
|  |  |  |
| 14 | Hard Cardboard | 2 |
|  |  |  |
| 15 | Landing Gear | 2 |

10.4 Fixed-Wing UAV Wiring Diagram


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### 10.5 Final Fabricated Fixed-Wing UAV



Fig 48 : Isometric View


Fig 49 : Front View


Fig 50 : Top View


Fig 51 : Side View
11. Fixed-Wing UAV Flight Testing


Fig 52 : Flight Testing-Cruising Flight


Fig 53 : Image Captured by Fixed Camera

## 12. Conclusions

The report discusses about the detailed procedure for the development of the fixed wing UAV to meet its mission requirement i.e., commercial monitoring. It is well-known that most of the UAV's flying today are multi-rotor aircrafts, commonly known as quadcopter or drones. However, this project highlights the advantages of the fixed wing UAV over the conventional multi-rotor systems.
The project begins with the discussions on the existing fixedwing design available in the global market. The mission requirement is then specified, which is the commercial monitoring (surveillance), and the project approach is selected, flight dynamics approach. The details are then highlighted on the design guidelines i.e., the design methodology. The entire design and the fabrication of the fixed-wing UAV is divided into three major design processes: conceptual design, preliminary design, and the detail design. In the conceptual design, sketch for the fixed-wing UAV was developed, wing sizing and body sizing was performed. In the preliminary design, all the analytical and the computational work was performed, beginning with the aerodynamics calculations for the wing and the tail configuration, calculations for the longitudinal stability and control, iterative battery weight estimation and performance estimation. After all the design calculations, final stage is the detail design where the CAD model is generated, drafting sheets is prepared, structural analyses are performed. 3-D printing is performed to generate the porotype model. Finally, the fixed-wing UAV is fabricated after the proper selection of material and proper dimensioning, which justifies the scope of the project. The flight testing verifies that the mission requirement has been met and it also provides a proper justification to the report.
The highlights of the fixed-wing fabricated UAV are specified below: -

- Low cost
- Better aerodynamic stability
- High range and endurance
- Better photographic results
- Better control of flight parameters
- Higher flight safety


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